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institute of information and computing sciences, utrecht university technical report UU-CS-2004-003 www.cs.uu.nl

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Abstract

In this paper, we will consider the alignment of heterogeneous ontologies in multi agent systems. We will start from the idea that each individual agent is specialized in solving a particular task and therefore requires its own specialized ontology that is, in principle, not understandable for other agents. This heterogeneity of ontologies, of course, poses problems for the communication between agents. In our framework, we assume that the agents share some minimal ground ontology which can be used to learn new concepts. We will discuss which concepts of the different ontologies the agents should learn from each other in order to establish a communication vocabulary that enables optimal communication.

1. Introduction

The World-Wide Web has enabled people to access a vast amount of information from distributed sources all over the world. Due to its rapidly increasing size, and the scattered nature of the information resources available, it is becoming more and more difficult for humans to find the information they are interested in. This problem has given rise to research on the enhancement of the current infrastructure with machine processable semantics. In the future, this would enable computer agents to use and understand information on the web, and so assist humans in performing tasks on the internet.

In [3], for example, a future scenario is described in which a travel-agent assists a customer in planning a holiday trip to the United States. The agent not only finds a cheap flight, but also investigates the prices for camper rental, suggests other transport possibilities, and finds out which licenses are required for campsites on the way. Basically, it does everything that nowadays your travel agency does for you. Before this scenario

can be made reality, some important barriers have to be overcome. One of them is that agents must be able to communicate with each other. A fundamental problem in communication is caused by the heterogeneity of the underlying knowledge sources, or more specifically, of the underlying ontologies ([8]). For instance, a travel-agent may encounter another agent that offers a "mobile home". The travel-agent should be able to recognize that this offer concerns a concept that he himself would refer to as a "camper". However, when the travel-agent encounters an agent offering a "mobile phone", it should recognize that this offer will not fulfil its desire to rent a camper.

In this paper, we will consider the alignment of heterogeneous ontologies in multi agent systems (MAS's). We will start from the idea that each individual agent is specialized in solving a particular task and therefore requires its own specialized ontology that is, in principle, not understandable for other agents. Furthermore, each private ontology of an agent is rooted in one and the same ground ontology. This implies that all the terms used in the private ontology can be expressed as a complex of basic terms defined in this ground ontology. In order to communicate, we will introduce the notion of a so called *communication vocabulary*. Although agents are unable to communicate their private concepts directly, they can use this communication vocabulary to express private concepts in an efficient manner without using the complex and, for communication purposes, inefficient definitions of the ground ontology.

We will focus on the desirable properties of the communication vocabulary and specify which concepts are most suited to become part of this vocabulary. On the one hand, the vocabulary should contain enough concepts to enable the agents to express all things with sufficient accuracy. On the other hand, it should contain as few concepts as necessary in order not to burden the agents with superfluously many concepts.

In the next section we will discuss the backgrounds of the problem. In section 3 we will give the formal definitions of the framework, and discuss the place of the ground ontology and the communication vocabularies in the system. In section 4 we will discuss the various possibilities for the communication vocabulary. Section 5 presents our conclusions and indicates steps for further research.

2. Background

Within an agent's knowledge representation, a distinction can be drawn between the description of intensional knowledge, concerning general knowledge about a problem domain, and the description of extensional knowledge, concerning a particular problem [1]. The former will be referred to as the agent's ontology, and the latter as the agent's assertional knowledge base. An agent's ontology is usually thought not to change, to be timeless in a way, whereas an agent's assertional knowledge base is subject to change, as it represents the current state of the world. The ontology describes the agent's commitment on how to view the world. The assertional knowledge base is described in terms of the concepts defined in the ontology. As a consequence, the things that can be expressed well about the current state of the world, are heavily dependent on the concepts defined in the ontology.

One of the strong points of a MAS is that it enables one to partition a problem space of a complex system into smaller problems which can be solved by individual agents ([4]). This means that each agent requires its own specialized ontology which is tailored to its own specific task. Therefore, the problem of integrating heterogeneous ontologies is not just a matter of reaching agreement among system developers to use one common standard. In fact, the presence of heterogeneous ontologies is inherent to the task division in multi agent systems.

However, disparities in the agents' conceptualizations pose problems for the communication between agents. One of the characteristics commonly ascribed to agents is that of exhibiting *social* behavior. In the context of the distinction between ontological and assertional knowledge, the social nature of agents will be apparent in the communication of *assertional* knowledge. As has been argued above, an agent's ontology represents its changeless knowledge about a problem domain. Therefore, it is useless for one agent to communicate its ontological knowledge to another agent, as the other agent will not be willing to change this type of knowledge anyway. However, it does make sense for agents to communicate assertional knowledge, as this

characterizes itself by being subject to change, representing the current state of the world.

Because assertional knowledge is defined in terms of the concepts introduced in the ontology, communicating assertions becomes problematic when heterogeneous ontologies are involved. There is no guarantee that, when one agent sends an assertion in terms of its private ontology to another agent, the meaning of this assertion is also conveyed to the other agent. The receiving agent may be unfamiliar with the terms used in the assertion, or, even worse, may assign different meanings to these terms.

The problem of integrating heterogeneous ontologies in MAS's has been given a lot of attention lately. In [9], an approach is described where the agents use machine learning techniques to learn the meaning of each others concepts. The initial clues on the meaning of foreign concepts are provided by the instances of those concepts. This resembles the approach taken in [7], where overlaps in instance data are the main driving force behind the characterization of foreign concepts in terms of upper- and lower bounds of private concepts. In [2], the authors describe how agents can autonomously derive transformation functions (i.e. glue code) in order to translate between heterogeneous ontologies. In this approach, it is assumed that there exists a common underlying theory to which the private ontologies of the agents are linked.

All these approaches have in common that they aim at providing the agents with a set of shared concepts in which they can express their private knowledge (or similarly, with some shared understanding of each others concepts). In our framework, this set of shared concepts is present in the communication vocabulary. By introducing the ground ontology, our approach does not require overlapping instances (as in [7]) in order to find inter-ontology mappings. In fact, the ground ontology is very similar to the common underlying theory in [2]. However, whereas the other approaches described above have focussed on how the agents are to derive the communication vocabulary, in this paper we will focus on its structure and desirable properties.

3. General framework

3.1. Representation of ontologies

Ontologies may take a variety of forms. In this paper we will focus on formally specified taxonomic structures with disjointness relations. This will be formalized using a language \mathcal{L} , which is equal to the description logic language \mathcal{ALC} without roles. The semantics of \mathcal{L} is based on interpretations of the form

 $\mathcal{I} = (\Delta^{\mathcal{I}}, \cdot^{\mathcal{I}}), \text{ where }$

- $\Delta^{\mathcal{I}}$ is the domain
- $\cdot^{\mathcal{I}}$ is the interpretation function that maps:
 - every concept to a subset of $\Delta^{\mathcal{I}}$.
 - every individual to an element of $\Delta^{\mathcal{I}}$

Given a set of $atomic \ concepts \ A$, $complex \ concepts$ can be formed using concept constructors. The following constructs are available:

- A, where $A^{\mathcal{I}} \subseteq \Delta^{\mathcal{I}}$
- \top , where $\top^{\mathcal{I}} = \Delta^{\mathcal{I}}$
- \perp , where $\perp^{\mathcal{I}} = \emptyset$
- $\neg C$, where $(\neg C)^{\mathcal{I}} = \Delta^{\mathcal{I}} C^{\mathcal{I}}$
- $C \sqcap D$, where $(C \sqcap D)^{\mathcal{I}} = C^{\mathcal{I}} \cap D^{\mathcal{I}}$
- $C \sqcup D$, where $(C \sqcup D)^{\mathcal{I}} = C^{\mathcal{I}} \cup D^{\mathcal{I}}$

The notation $\mathcal{L}(\mathcal{C})$ is used to denote the set of complex concepts in \mathcal{L} over the set of atomic concepts \mathcal{C} . Statements can be used to define one of the following:

- subsumption: $C \sqsubseteq D \Leftrightarrow C^{\mathcal{I}} \subseteq D^{\mathcal{I}}$
- equality: $C \doteq D \Leftrightarrow C^{\mathcal{I}} = D^{\mathcal{I}}$
- membership: $C(a) \Leftrightarrow a^{\mathcal{I}} \in C^{\mathcal{I}}$

We say that \mathcal{I} is a model of a set of statements Γ , if \mathcal{I} satisfies every statement in Γ . We say that Γ entails a statement γ , i.e. $\Gamma \models \gamma$, if and only if every model of Γ also satisfies γ .

An ontology O is defined as a tuple $\langle T, \mathcal{C} \rangle$. \mathcal{C} is the set of atomic concepts and T is a TBox consisting of a set of statements of the form: $A \doteq C$ or $A \sqsubseteq C$, where $A \in \mathcal{C}$, and $C \in \mathcal{L}(\mathcal{C})$. It is assumed that the definitions in T are unique (i.e. no concept occurs more than once at the right hand side of some axiom), and acyclic ([1],p.52).

Among atomic concepts, a distinction can be drawn between primitive concepts and defined concepts. Primitive concepts are those that only occur at the right hand sides of the TBox statements, whereas defined concepts occur somewhere on the left hand side of a TBox statement. Since we assume that the TBox definitions are unique and acyclic, the TBox is unfoldable ([1],p.310). This means that every defined concept can eventually be written in terms of primitive concepts. The unfolding of concept C with respect to TBox T is written as $[C]_T$ and can be obtained by recursively substituting the defined concepts in the formula by their definitions in T.

3.2. Ontologies in multi agent systems

A multi agents system is defined as: $\mathcal{A} = \{x_1..x_n\}$. An agent x_i is defined as a tuple with one component containing the knowledge base $KB_i = \langle O_i, A_i \rangle$, where $O_i = \langle T_i, \mathcal{C}_i \rangle$ is the ontology, and A_i is the set of membership statements, constituting an ABox. A membership statement takes the form C(a), where $C \in \mathcal{C}$, $a \in \Delta$. C(a) holds iff $a^{\mathcal{I}} \in C^{\mathcal{I}}$.

In our framework, the communication vocabulary is also formalized as an ontology. In order for the agents to adapt to a communication vocabulary, they must be able to uncover the relations of the concepts in the communication vocabulary with the concepts in their private ontologies. For that reason we have introduced the ground ontology which is shared by the entire MAS and in which every private concept of each individual agent can eventually be defined. Formally, this implies that every primitive concept in each agent's ontology is present in this ground ontology. Even with a small set of ground concepts (i.e. concepts in the ground ontology), an enormous quantity of complex concepts can be formed. This enables every agent to adopt its own specialized world view, while keeping the possibilities for interoperability open. The following definition formalizes the notion of grounding an ontology.

Definition 1 Grounding ontologies

An ontology $O_i = \langle T_i, \mathcal{C}_i \rangle$ is grounded in the ground ontology $O_g = \langle T_g, \mathcal{C}_g \rangle$ if for all $C \in \mathcal{C}_i$ holds that $[C]_{T_i} \in \mathcal{L}(\mathcal{C}_g)$

We assume that for all agents x_i it holds that their private ontology O_i is grounded in O_g . This assumption to facilitate the integration of heterogeneous knowledge sources, is similar to that proposed by the SEN-SUS methodology ([6]). The main characteristic of this methodology is that one large ontology (with more than 50,000 concepts) is used as a skeletal foundation for the domain specific ontologies. As all ontologies built using this methodology share a common underlying structure, merging and aligning them will become much easier.

Example 1 Consider the ontology of agent x_1 (the Camper rental Agent), $O_1 = \langle T_1, \mathcal{C}_1 \rangle$, which is grounded in the ground ontology presented in figure 1.

 $\begin{array}{lll} T_1 &=& \{ & OneBedCamper \; \doteq \; Vehicle \; \sqcap \; Shelter \; \sqcap \; WeightsMoreThan1Ton \; \sqcap \; \neg \; WeightsMoreThan2Ton \; \sqcap \; \neg \; ElectronicEquipment \; \sqcap \; YellowThing \; , \; ForestCamper \; \doteq \; Vehicle \; \sqcap \; Shelter \; \sqcap \; WeightsMoreThan2Ton \; \sqcap \; \neg \; ElectronicEquipment \; \sqcap \; GreenThing \; , \end{array}$

 $\begin{array}{lll} \textit{HappyHolidayCamper} & \doteq & \textit{Vehicle} & \sqcap & \textit{Shelter} & \sqcap \\ \textit{WeightsMoreThan2Ton} & \sqcap & \neg & \textit{ElectronicEquipment} \end{array}$

```
T_q = \{ Tangible Thing \subseteq \neg Intangible Thing ,
YellowThing \sqsubseteq TangibleThing,
GreenThing \sqsubseteq TangibleThing \sqcap \neg YellowThing,
WeightsMoreThan1Kg \sqsubseteq TangibleThing,
WeightsMoreThan1Ton \sqsubseteq WeightsMoreThan1Kq,
WeightsMoreThan2Ton \sqsubseteq WeightsMoreThan1Ton,
Artifact \sqsubseteq TangibleThing \sqcap ManMade,
Shelter \sqsubseteq Tangible Thing,
Electronic Equipment \sqsubseteq Artifact \sqcap \neg Shelter,
CommunicationDevice \sqsubseteq Artifact,
Vehicle \sqsubseteq Artifact \sqcap \neg CommunicationDevice,
Building \sqsubseteq Artifact \sqcap \neg Electronic Equipment
\sqcap \neg CommunicationDevice \}
\mathcal{C}_g
      =
             { Tangible Thing,
                                   Intangible Thing,
                                                          Yel-
lowThing,
                Green Thing,
                                    WeightsMoreThan1Kg,
WeightsMoreThan1Ton, WeightsMoreThan2Ton, Ar-
tifact, ManMade, Shelter, ElectronicEquipment, Com-
municationDevice, Vehicle, Building}
```

Figure 1. Example Ground Ontology

 $\sqcap YellowThing$ }

 $C_1 = \{ OneBedCamper, ForestCamper, HappyHoliday-Camper \}$

The ontology of the camper rental agent characterizes its personal view on the world, which consists of campers. This ontology enables agent x_1 to store camper related knowledge efficiently. However, it leaves limited possibility to store other kinds of knowledge, as it has been tailored to the camper domain. The shared ground assumption becomes apparent in the definitions of its private concepts of C_1 . The concepts used in these definitions all belong to the concepts of the ground ontology, namely C_q .

3.3. Communication vocabularies

The concept names used in an agent's private ontology are not understandable to other agents. However, their definitions in terms of ground concepts are. An obvious solution to the communication problem would be to use the definition of a private concept in communication, instead of the private concept itself. However, this is not the preferred approach, as concept definitions are generally very large. Communicating directly in terms of ground concepts would lead to long messages, resulting in a high bandwidth load, and large amounts of data to be processed. The rationale behind introducing a defined concept in an ontology, is to enable the agent to store information using only one atomic concept instead of storing it using a complex

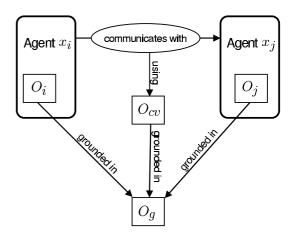


Figure 2. General framework

structure of primitive concepts. Likewise, the rationale behind adopting a communication vocabulary, is to enable the agent to communicate a complex concept using only one defined concept, instead of communicating it using a complex structure of primitive concepts.

From this perspective, the intuition behind the communication vocabulary links up with a common technique from information theory, where frequently used symbols are encoded in a smaller number of bits than the rarely used symbols, e.g. as in Morse codes, or Huffman codes. These codes enable one to reduce the average size of messages sent over some communication channel.

In order to enable agents to uncover the relations with their private ontologies, the communication vocabulary is grounded in the ground ontology. The situation is illustrated in figure 2. Note that the set of concepts of agent x_i (i.e. C_i) denotes the set of concepts in which its assertional knowledge is expressed. There may be (ground) concept names that occur in T_i that are not member of C_i . The set of concepts in the ground ontology (i.e. C_g) is used to refer to all concepts that occur in T_g .

4. Properties of communication vocabularies

An optimal communication vocabulary is defined as the smallest set of concepts to be used in communication, while remaining sufficiently accurate. In this section we will formalize this notion.

4.1. Concept equivalence relative to an ontology

When an agent is committed to a certain ontology, it has decided to view the world only in terms of those concepts defined in its ontology. The agent can store only those things that are expressible using the concepts in its ontology and the concept constructors in the language \mathcal{L} . Foreign concepts can therefore be characterized solely in terms of their relations with the concepts in the agent's ontology. Suppose the following membership statement is sent: C(a), where C is a concept in the ground ontology. The only thing that matters to the receiving agent is what implications this statement carries concerning membership of the concepts in its private ontology. Such an implication w.r.t. a concept D in its private ontology, can be one of the following:

- 1. It can be derived that a is also member D, i.e. D(a)
- 2. It can be derived that a is not member of D, i.e. $\neg D(a)$
- 3. Neither 1, nor 2 holds, i.e. D(a) cannot be proven, and $\neg D(a)$ cannot be proven.

A derivation of type 1 can be made if and only if $C \sqsubseteq D$ holds (specific-to-general reasoning). A derivation of type 2 can be made if and only if $C \sqsubseteq \neg D$ (reasoning with disjointness). The agent remains ignorant about D(a) and $\neg D(a)$ if neither $C \sqsubseteq D$, nor $C \sqsubseteq \neg D$ can be proven.

Elaborating on these ideas, two foreign concepts can be regarded equivalent w.r.t. an ontology if they stand in the same relation to the concepts in the ontology. This can be formalized as follows:

Definition 2 Concept equivalence relative to an ontology

Given a ground ontology $O_g = \langle T_g, \mathcal{C}_g \rangle$, and an ontology $O = \langle T, \mathcal{C} \rangle$ which is grounded in O_g . The concepts $C, D \in \mathcal{L}(\mathcal{C}_g)$ are equivalent relative to the ontology O, written as $C \equiv_O D$ iff

- For all $E \in \mathcal{L}(C)$: $(T_g \models C \sqsubseteq [E]_T) \Leftrightarrow (T_g \models D \sqsubseteq [E]_T)$
- For all $E \in \mathcal{L}(\mathcal{C}) : (T_g \models C \sqsubseteq \neg [E]_T) \Leftrightarrow (T_g \models D \sqsubseteq \neg [E]_T)$

Example 2 Consider the ontology of agent x_2 : the Phonedealer Agent, $O_2 = \langle T_2, \mathcal{C}_2 \rangle$, where:

 $T_2 = \{ \ KermitPhone \doteq ElectronicEquipment \ \sqcap \ CommunicationDevice \ \sqcap \neg \ WeightsMoreThan1Kg \ \sqcap \ Green-Thing \ , \ TweetyPhone \doteq ElectronicEquipment \ \sqcap \ CommunicationDevice \ \sqcap \neg \ WeightsMoreThan1Kg \ \sqcap \ YellowThing \ \}$

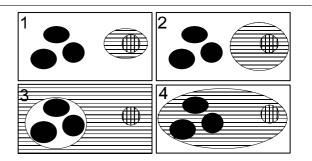


Figure 3. Relative concept equations

 $C_2 = \{ KermitPhone, TweetyPhone \}$ Relative to the ontology of agent x_1 , the following concept equations, and non-equations, hold:

- 1. $[KermitPhone]_{T_2} \equiv_{O_1} CommunicationDevice \sqcap \neg WeightsMoreThan1Kg$
- 2. $[KermitPhone]_{T_2} \equiv_{O_1} CommunicationDevice$
- 3. $[KermitPhone]_{T_2} \equiv_{O_1} \neg Vehicle$
- 4. $[KermitPhone]_{T_2} \not\equiv_{O_1} Artifact$

A graphical representation of these four equations is shown in the four squares of figure 3. These figures can be interpreted as Venn diagrams, where the ovals represent concepts. The three black ovals at the left represent the three concepts in the ontology of agent x_1 . The striped ovals represent concepts that belong to the ground ontology. The little vertically striped oval at the right represents the concept $[KermitPhone]_{T_2}$. The horizontally striped area that varies from figure to figure, represents respectively: $(CommunicationDevice \sqcap \neg WeightsMoreThan1Kg)$, CommunicationDevice, $\neg Vehicle$ and Artifact.

The first square in figure 3 shows that the concept KermitPhone is equivalent to the concept $CommunicationDevice \sqcap \neg WeightsMoreThan1Kg$ relative to the ontology of x_1 . That is because they are both disjoint with all concepts in the ontology of x_1 . The same holds for equations 2 and 3. Equation 4 however, is different. The vertically striped oval is disjoint with all black ovals, whereas the horizontally striped oval overlaps them. It does make a difference to agent x_1 whether an individual belongs to the concept KermitPhone or to the concept Artifact. From membership of KermitPhone, the camper rental agent can derive that that individual is not a member of any of its private concepts. From membership of Artifact, the agent remains ignorant about membership of its private concepts.

4.2. Common communication vocabularies

Communication vocabularies (cv's) are specified for a communication pair of the form $cp = \langle x_i, x_j \rangle \in \mathcal{A} \times \mathcal{A}$, where x_i is the sending agent and x_j is the receiving agent. The cv is specified as an ontology O_{cv} which is shared by both agents. The sending agent uses the cv by making sound translations of messages stated in private concepts $(\in \mathcal{L}(C_i))$ to messages stated in shared concepts $(\in \mathcal{L}(\mathcal{C}_{cv}))$. In order to preserve soundness, an agent translates a private concept to a shared concept which is equivalent to or more general than the original concept. In the extreme case, an agent translates a private concept C to the shared concept \top . Although such a translation will definitely be sound, an assertion of the form T(a) does not contain any information about the individual a for the receiving agent. The price of translating knowledge in more general terms is information loss ([5]). Since an optimal communication vocabulary should contain concepts which the agents can use in order to be sufficiently accurate, the shared concepts should not be too general. The intuition behind the following definition is that the sending agent should be allowed to translate its private assertion into a more general concept in the communication vocabulary, as long as the translated concept remains equivalent with the original concept relative to the receiving agent's ontology.

Definition 3 Lossless communication vocabulary

Given a ground ontology O_g , the communication vocabulary O_{cv} is lossless for the communication pair $\langle x_i, x_j \rangle$ iff for all $C \in \mathcal{L}(\mathcal{C}_i)$, there exists $D \in \mathcal{L}(\mathcal{C}_{cv})$, s.t.

- $T_g \models [C]_{T_i} \sqsubseteq [D]_{T_{cv}}$ - $[C]_{T_i} \equiv_{O_i} [D]_{T_{cv}} \ holds, \ given \ O_g$

Example 3 The following are examples of lossless cv's for the phone dealer agent to the camper rental agent, i.e. the communication pair $\langle x_2, x_1 \rangle$:

- 1. $C_{cv} = \{KermitPhone, TweetyPhone\}$ $T_{cv} = T_2$
- 2. $C_{cv} = \{LightCommDevice\}$ $T_{cv} = \{LightCommDevice \doteq CommunicationDevice \sqcap \neg WeightsMoreThan1Kg\}$
- 3. $C_{cv} = \{Conveyance\}$ $T_{cv} = \{Conveyance \doteq Vehicle\}$

The first cv is lossless because agent x_2 does not have to translate its private knowledge in the shared vocabulary. Using the second cv, x_2 can translate all its private concepts (KermitPhone and TweetyPhone) to Light-CommDevice, which is subjectively equivalent with the

original concepts w.r.t. the ontology of agent x_1 . The third cv enables x_2 to translate its private concepts into \neg Conveyance, providing for a lossless cv. The following is not a lossless cv:

```
• C_{cv} = \{ManMadeObject\}

T_{cv} = \{ManMadeObject \doteq Artifact\}
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This is because ManMadeObject is not subjectively equivalent with KermitPhone, w.r.t. agent x_1 .

When a communication vocabulary is used by more communication pairs, we speak of a common communication vocabulary. It is lossless if it is a lossless communication vocabulary for each communication pair.

Definition 4 Lossless common communication vocabulary

A common communication vocabulary O_{cv} is lossless for the set of communication pairs $CP \subseteq (\mathcal{A} \times \mathcal{A})$ iff O_{cv} is a lossless communication vocabulary for all elements of CP.

Example 4 The first three cv's from example 3 are lossless common communication vocabularies for $\{\langle x_2, x_1 \rangle, \langle x_1, x_2 \rangle\}$.

As has been argued before, the number of non-private concepts an agent must learn for communication purposes should be kept as small as possible. Therefore, besides being lossless, an *optimal* common communication vocabulary is minimal in size.

Definition 5 Optimal common communication vocabulary

A common communication vocabulary $O_{cv} = \langle T, \mathcal{C} \rangle$ is optimal for the set of communication pairs $CP \subseteq (\mathcal{A} \times \mathcal{A})$ iff

- O_{cv} is a lossless common communication vocabulary for CP
- There is no lossless common communication vocabulary for $CP: O'_{cv} = \langle T', \mathcal{C}' \rangle$, such that $\#\mathcal{C}' < \#\mathcal{C}$

The notation $\#\mathcal{C}$ is used to denote the number of elements in set \mathcal{C} .

Example 5 The second and the third cv from example 3 are optimal common communication vocabularies for $\{\langle x_2, x_1 \rangle, \langle x_1, x_2 \rangle\}$. The first cv is not, because it contains superfluously many concepts.

Consider another example. The ontology of the travel-agent, i.e. agent x_3 is described as:

 $T_3 = \{SoloCamper = Vehicle \cap Shelter \cap WeightsMoreThan1Ton \cap WeightsMoreThan2Ton \}$

 $\Box \neg ElectronicEquipment, FamilyCamper \doteq Vehi$ $cle \partial Shelter \partial WeightsMoreThan2Ton \partial \partial Electron$ $icEquipment Hotel \decorption Building \partial \partial Vehicle \partial Shel$ $ter \partial WeightsMoreThan2Ton$ $<math>C_3 = \{ SoloCamper, FamilyCamper, Hotel \}$

The following is an optimal common communication vocabulary for the communication pairs $\{\langle x_i, x_j \rangle | i, j \in \{1..3\} \land i \neq j\}$: C_{cv} $\{LightCommDevice, SoloCamper, FamilyCamper\}$ $= \{ LightCommDevice = Communication-$ WeightsMoreThan1Kg, SoloCamper $Device \sqcap$ $Vehicle \ \sqcap \ Shelter \ \sqcap \ WeightsMoreThan1Ton$ $WeightsMoreThan2Ton \ \sqcap \ \neg \ ElectronicE$ quipment, $FamilyCamper \doteq Vehicle \sqcap Shelter \sqcap$ $WeightsMoreThan2Ton \sqcap \neg ElectronicEquipment$ The concept LightCommDevice is required for the communication between the Phone dealer agent with the other two agents. The distinction between telephones with different colors is not present in the cv, as it is irrelevant to the two other agents. Likewise, the camper rental agent (x_1) has specified its campers at a finer granularity than the travel-agent (x_3) . The communication vocabulary only provides for concepts in which distinctions are made that are relevant to both x_1 and x_3 .

4.3. Distributed communication vocabulary

As opposed to a common communication vocabulary, when distributed cv's are used, different cv's may be assigned to different communication pairs. As will become apparent, distributed cv's may lead to a smaller amount of shared concepts that the individual agents will have to adopt. Cv's are distributed using a distribution function, defined as follows:

Definition 6 Communication vocabulary distribution function

A communication vocabulary distribution function \mathcal{O}_{cv} for the set of communication pairs $CP \subseteq (\mathcal{A} \times \mathcal{A})$ is defined as a function that assigns a communication vocabulary to every element $cp \in CP$.

The lossless property can be formulated for cv distribution functions as follows:

Definition 7 Lossless cv distribution function

The cv distribution function \mathcal{O}_{cv} is lossless for the set of communication pairs CP iff for all $cp \in CP : \mathcal{O}_{cv}(cp)$ is a lossless communication vocabulary for cp.

An agent x_i must know all communication vocabularies which are assigned to the communication couples of the form $\langle x_i, x_j \rangle$ or $\langle x_j, x_i \rangle$ (where x_j is an arbitrary

agent $\in \mathcal{A}$). Therefore it is useful to define the operator \uparrow which collects all communication pairs in which agent x_i is involved.

Definition 8 Projection

Let $CP \subseteq (\mathcal{A} \times \mathcal{A})$ be a set of communication pairs, then the projection of CP to the agent x_i is defined by $CP \upharpoonright x_i = \{cp|cp \in CP \land \exists x_j \in \mathcal{A}(cp = \langle x_i, x_j \rangle \lor cp = \langle x_j, x_i \rangle)\}$

The costs for an agent to adopt a cv distribution function is defined as the total number of concepts from the cv's it has to know in order to adopt it.

Definition 9 Costs

Given a cv distribution function \mathcal{O}_{cv} for CP. $costs_{x_i}(\mathcal{O}_{cv}) = \#(\bigcup_{cp \in (CP \upharpoonright x_i)} \mathcal{O}_{cv}(cp))$

The optimal cv distribution function is both lossless and minimizes the total costs that is involved to adopt it.

Definition 10 Optimal cv distribution function The cv distribution function \mathcal{O}_{cv} is optimal for the set of communication pairs CP iff

- \mathcal{O}_{cv} is a lossless cv distribution function.
- There is no lossless cv distribution function \mathcal{O}'_{cv} such that:

$$\sum_{x_i \in \mathcal{A}} costs_{x_i}(\mathcal{O}'_{cv}) < \sum_{x_i \in \mathcal{A}} costs_{x_i}(\mathcal{O}_{cv})$$

Note that the optimal common cv from definition 5 can be seen as a special case of an optimal cv distribution function, namely one that maps every communication pair to the same communication vocabulary. Therefore, the total costs for the agents to adopt an optimal cv distribution function will never be larger than the costs to adopt an optimal common cv. However, in many cases the total costs to adopt a cv distribution function will be smaller, as will become apparent in the following example.

Example 6 Suppose another phone dealer agent (x_4) joins the community. The ontology of x_4 is:

 $T_4 = \{ GreenPhone \doteq ElectronicEquipment \sqcap CommunicationDevice \sqcap \neg WeightsMoreThan1Kg \}$

- $\begin{tabular}{ll} \sqcap GreenThing , YellowPhone $\dot{=}$ ElectronicEquipment \\ \sqcap CommunicationDevice $\sqcap \neg$ WeightsMoreThan1Kg $\\ \sqcap YellowThing $\} $ \end{tabular}$
- $C_4 = \{ GreenPhone, YellowPhone \}$

Now, consider the following optimal cv distribution function for $\{\langle x_i, x_j \rangle | i, j \in \{1..4\} \land i \neq j\}$. The distribution of the cv's over the communication pairs is illustrated by figure 4. The content of the cv's is as follows:

 $\begin{array}{lll} \mathcal{C}_{cv1} = \{Phone\} \\ T_{cv1} & = \{ & Phone & \doteq & Communication Device & \sqcap & \neg \end{array}$

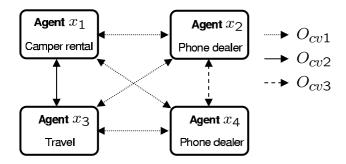


Figure 4. cv distribution function of example 6

WeightsMoreThan1Kg } $C_{cv2} = \{FamilyCamper, OnePersonCamper\}$ $T_{cv2} = \{FamilyCamper \doteq Vehicle \sqcap Shelter \sqcap WeightsMoreThan2Ton \sqcap \neg ElectronicEquip-$

ment, $OnePersonCamper \doteq Vehicle \sqcap Shelter \sqcap WeightsMoreThan1Ton \sqcap \neg WeightsMoreThan2Ton \sqcap \neg ElectronicEquipment }$

 $C_{cv3} = \{GreenPhone, YellowPhone\}$

 $T_{cv3} = \{ GreenPhone \doteq ElectronicEquipment \sqcap CommunicationDevice \sqcap \neg WeightsMoreThan1Kg \sqcap Green-Thing , YellowPhone \doteq ElectronicEquipment \sqcap CommunicationDevice \sqcap \neg WeightsMoreThan1Kg \sqcap YellowThing <math>\}$

This cv distribution function requires agents x_1 to x_4 to learn the following concepts:

- 1: {Phone, FamilyCamper, OnePersonCamper}
- 2: {Phone, GreenPhone, YellowPhone}
- 3: {Phone, FamilyCamper, OnePersonCamper}
- 4: {Phone, GreenPhone, YellowPhone}

Note that an optimal common cv would consist of {FamilyCamper, OnePersonCamper, GreenPhone, YellowPhone}. A common cv would require all agents to adopt four concepts, whereas the use of distributed cv's requires them to adopt only three concepts. This benefit occurs when several groups of agents with different focus areas are present within the MAS. In MAS's consisting of many heterogeneous agents, this benefit may be considerably large. Another advantage of a distributed cv is that it allows local adjustments of the cv when new agents join the MAS, whereas common cv's always require every agent in the MAS to adjust its cv.

5. Conclusion and future work

In this paper we have shown how one can investigate and characterize communication vocabularies in a heterogeneous multi agent system from an objective stance. In order to ensure that the cv enables the agents to express things with sufficient accuracy, the ontologies of both the sending and receiving agent are relevant. This idea is manifest in the notion of a lossless cv. In order to minimize the number of concepts in the cv, all communication pairs have to be taken into account. This idea is manifest in the notion of an optimal communication vocabulary. Furthermore, we have presented the notion of a distributed communication vocabulary and discussed its benefits over a common cv.

This analysis can be regarded as a starting point to investigate the issue of how agents can autonomously establish appropriate communication vocabularies. In this paper we have discussed what we think should qualify as appropriate. We would like to continue this line of work by developing dialogue strategies which the agents can employ in order to establish an optimal common cv, or an optimal cv distribution function. By specifying which concepts are important to be shared within the MAS, agents can decide which concepts they should adopt in their communication vocabularies. We would also like to consider some extensions of our framework. For example, we would like to enrich the ontology language with more description logic constructs.

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